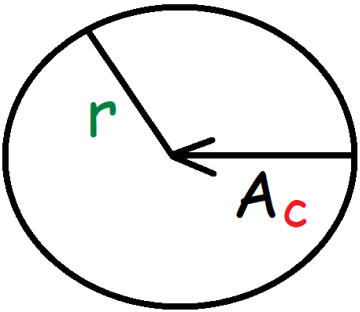
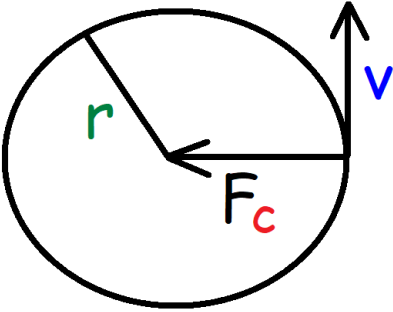
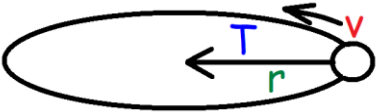
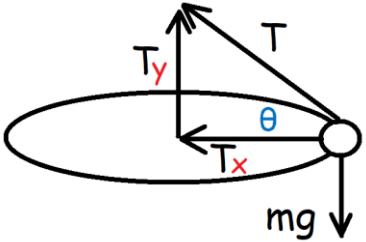
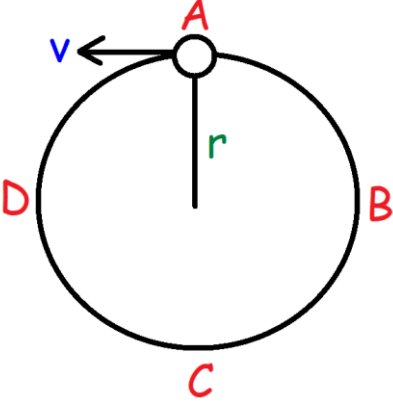
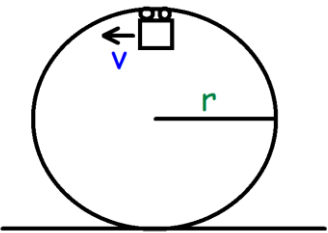
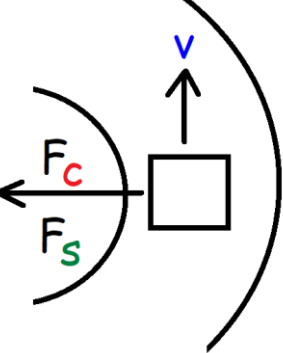
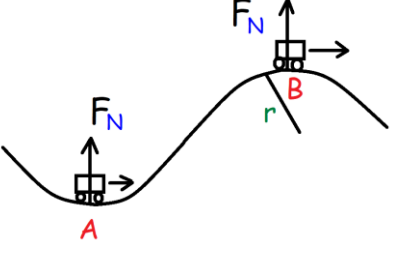
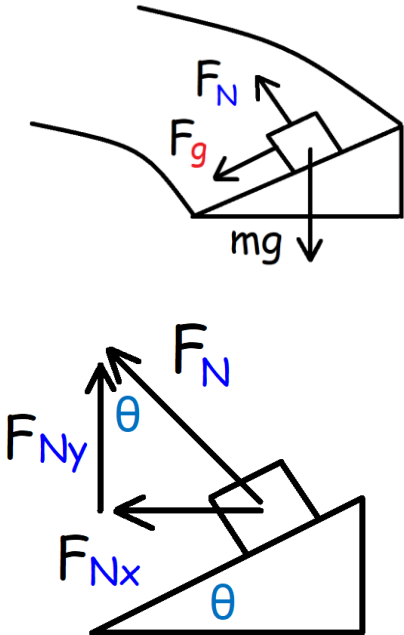
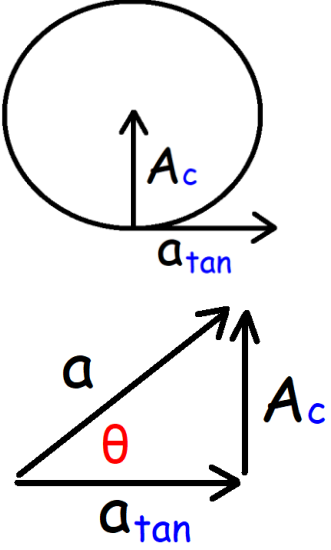
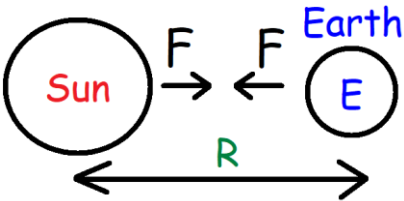
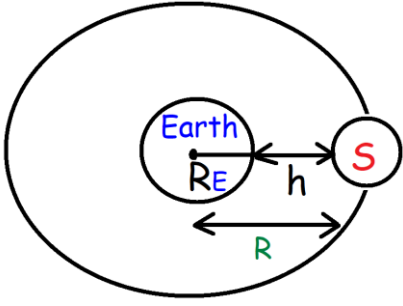
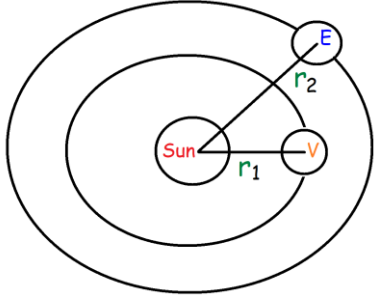


Circular Motion Formula Sheet:

	<p>Centripetal Acceleration:</p> $A_c = \frac{v^2}{r} \qquad A_c = \frac{4\pi^2 r}{T^2}$ <p>Note: A_c always point toward the center of the circle.</p>
	<p>Revolving Speed:</p> $v = \frac{2\pi r}{T} \qquad c = 2\pi r$
	<p>Frequency:</p> $f = \frac{1}{T} \qquad f = \frac{\text{\# of Cycles}}{\text{time}}$ <p>The frequency represents the number of cycles that occur in 1 second.</p>
	<p>Period:</p> $T = \frac{1}{f} \qquad T = \frac{\text{time}}{\text{\# of cycles}}$ <p>The period is the time it takes to complete 1 cycle.</p>
	<p>Centripetal Force:</p> $F_c = \frac{mv^2}{r} \qquad F_c = mA_c$ <p>Note: F_c always point toward the center of the circle.</p>
	<p>Tension Force – Horizontal Circles: (when v is high)</p> $T \approx F_c = \frac{mv^2}{r}$
	<p>Horizontal Circle – Tetherball: (when v is low)</p> $T_y = mg \qquad T_x \approx F_c = \frac{mv^2}{r}$ $T = \sqrt{T_x^2 + T_y^2} \qquad \theta = \tan^{-1} \left(\frac{T_y}{T_x} \right)$ $T_x = T \cos \theta \qquad T_y = T \sin \theta$

<p>Vertical Circle:</p> 	<p>Tension Force – Point A:</p> $T = \frac{mv^2}{r} - mg$ <p>Points B & D:</p> $T \approx \frac{mv^2}{r} \quad \text{when } v \text{ is high}$ $T = m \sqrt{g^2 + \left(\frac{v^2}{r}\right)^2} \quad \text{when } v \text{ is low}$ <p>Tension Force - Point C:</p> $T = \frac{mv^2}{r} + mg$
	<p>Minimum Rollercoaster Speed:</p> $v = \sqrt{rg}$
	<p>A Car Rounding a Curve on a Flat Road:</p> $F_s = F_c$ <p>Maximum Speed:</p> $v = \sqrt{u_s r g}$ <p>Coefficient of Static Friction:</p> $u_s = \frac{v^2}{r g}$
<p>Valleys and Hills:</p> 	<p>Normal Force – Point A:</p> $F_N = \frac{mv^2}{r} + mg$ <p>Normal Force – Point B:</p> $F_N = mg - \frac{mv^2}{r}$ <p>Note: If $F_N < 0$, the object will lose contact with the road at point B.</p>

	<p>Banked Turn:</p> $F_g = mg \sin \theta \quad F_N = \frac{mg}{\cos \theta}$ <p>Speed and Angle Needed to Avoid Sliding Up or Down: (No Friction)</p> $v = \sqrt{rg \tan \theta} \quad \theta = \tan^{-1} \left(\frac{v^2}{rg} \right)$ <p>Maximum Speed Needed to Avoid Sliding Up: (With Friction)</p> $v = \sqrt{\frac{rg(\sin \theta + u_s \cos \theta)}{\cos \theta - u_s \sin \theta}}$ <p>Minimum Speed Needed to Avoid Sliding Down: (With Friction)</p> $v = \sqrt{\frac{rg(\sin \theta - u_s \cos \theta)}{\cos \theta + u_s \sin \theta}}$
	<p>Non-Uniform Circular Motion:</p> $A_c = \frac{v^2}{r} \quad \theta = \tan^{-1} \left(\frac{A_c}{a_{tan}} \right)$ <p>Tangential Acceleration:</p> $a_{tan} = \frac{v_F - v_0}{t}$ <p>Net Acceleration:</p> $a = \sqrt{a_{tan}^2 + A_c^2}$
	<p>Gravitational Force of Attraction:</p> $F = \frac{GM_1M_2}{R^2}$ <p>Universal Gravitation Constant: $G = 6.67 \times 10^{-11} \text{ N} \cdot \text{m}^2/\text{kg}^2$ Mass of the Sun: $M_S = 1.99 \times 10^{30} \text{ kg}$ Earth to Sun Distance: $R_{ES} = 1.496 \times 10^{11} \text{ m}$</p>

 <p> $M_E = 5.97 \times 10^{24} \text{ kg}$ $R_E = 6.38 \times 10^6 \text{ m}$ </p>	<p>Satellite Speed:</p> $v = \sqrt{\frac{GM_E}{R}} \quad R = R_E + h$ <p>Period:</p> $T = \frac{2\pi R}{v}$ <p>Gravitational Acceleration:</p> $g = \frac{GM_E}{R^2}$
	<p>Kepler's Third Law:</p> $\left(\frac{T_1}{T_2}\right)^2 = \left(\frac{r_1}{r_2}\right)^3$ <p>Period:</p> $T = 2\pi \sqrt{\frac{R^3}{GM}}$ <p>Orbital Radius:</p> $R = \sqrt[3]{\frac{GMT^2}{4\pi^2}}$ <p>Planetary Mass:</p> $M = \frac{4\pi^2 R^3}{GT^2}$